

## Algorithms and techniques for virtual camera control

## Session 4: Viewpoint Computation

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## Viewpoint Computation

- given:
- a camera model (e.g., position - orientation - FOV), and a domain $D \subset \mathbb{R}^{7}$ of allowed camera parameters
- requirements about the visual composition of targets in the computed image
- compute a value for each camera parameter to (best) satisfy the requirements


## Example


requirements: houses 1 and 2 completely visible, seen from the front; houses area on screen each about $10 \%$

## Approaches to VC

- algebraic: when we can establish an algebraic relation between requirements and camera parameters
- works only in very limited situations
- in all other cases, we can use:
- constraint-based approaches: express requirements as constraints over $D$, find camera parameters $\boldsymbol{c}$ that satisfy constraints, or fail
- optimisation-based approaches: express requirements as a satisfaction function $F: D \rightarrow[0,1]$, find camera parameters $c$ that maximise $F$


## Visual Composition Requirements

- we consider the following types of visual composition requirements:
- size (width, height, area) of targets on screen
- visibility of targets on screen
- angle of targets with camera
- we need to:
- model each type of requirement as a satisfaction function $f: D \rightarrow[0,1]$
- model the satisfaction function of a virtual camera $\boldsymbol{c}$ as some composition of the requirement satisfaction functions, i.e. $F\left(f_{1}, f_{2}, \ldots, f_{n}\right): D \rightarrow[0,1]$


## Modeling requirement functions

- a requirement has a type (size, visibility,...) and a desired value
- the "type" part computes the value $v$ of a visual feature (size, visibility, angle) of a target $t$ for a given camera, i.e. ftype $(\boldsymbol{c}): D \rightarrow V$ where V is the set of possible values of the visual feature
- the "desired value" part computes a satisfaction value from the value of the visual feature, i.e. fdesired: $V \rightarrow[0,1]$ and can be e.g. modelled as a

example $f_{d e s i r e d ~}$ linear spline

$$
f(\mathbf{c})=f_{\text {desired }}\left(f_{\text {type }}(\mathbf{c})\right)
$$

- optimisation approaches typically need to sample a considerable number of points in $D$ to find a good solution: therefore, computing ftype must keep into account accuracy vs cost
- compromise might depend on specific application demands


## Measuring Size (area)

- mesh vs bounding volume
- what about objects with holes
- rendering (and counting pixels)
- geometrical methods
- bounding sphere
- bounding box


| rendering at $1000 \times 750$ | rendering at $500 \times 375$ | rendering at $80 \times 60$ | rendering at $40 \times 30$ | geometric evaluation |
| :--- | :--- | :--- | :--- | :--- |
| 261.87 | 63.47 | 9.7 | 8.44 | 0.005 |

## Measuring Visibility

- mesh vs bounding volume
- objects with holes
- rendering (and counting pixels)
- geometrical methods
- ray casting


| rendering at $\mathbf{1 0 0 0 \times 7 5 0}$ | rendering at $500 \times 375$ | rendering at $80 \times 60$ | rendering at $40 \times 30$ | geometric evaluation |
| :--- | :--- | :--- | :--- | :--- |
| 261.68 | 63.1 | 9.61 | 8.96 | 0.1 |

## Angle

- the angle between a targetspecific vector $\boldsymbol{u}$ and the vector from $t$ to the camera
- typically, $\boldsymbol{u}$ can be the forward vector of the target (horizontal angle between camera and target), or its up vector (vertical angle between camera and target)
- other choices are possible, e.g., for a character, $u$ could be the direction of the head



## Computing Satisfaction

- typical solution is a weighted sum of individual $f$

$$
F(c)=\sum_{i} w_{i} f_{i}(c)
$$

- corresponds to logical AND of all requirements
- weights allow one to set requirements importance, but are not easy to manage
- can use also other logical operators (e.g. OR is max)


## Solving VC

- due to complexity of the objective function and non-continuity (e.g., think visibility), black-box optimisation approaches are preferable
- use of random values (stochastic optimisation) to escape local minima
- population-based approaches have the additional advantage that poor initialisation can be corrected
- Particle-Swarm Optimisation (PSO) has all these features and, moreover, it is known for fast convergence
- used by several authors, e.g. [Burelli et al. 2008, Abdullah et al. 2011, Ranon and Urli 2014]


## PSO for VC

- idea: a swarm of cameras wanders through $D$ in search of the optimum (i.e. the parameters $\boldsymbol{c}$ that maximise $F$ )
- at each step, we move a camera and evaluate $F$ on it
- we always record:
- the best visited position in D for each camera (p)
- the global best visited position $p_{g}$
- the equations for moving a camera from its position in $D x^{n-1}$ to a new position $x^{n}$ are:

$$
\begin{array}{rl}
\mathbf{v}_{i}^{n}=w^{n-1} \mathbf{v}_{i}^{n-1}+c_{1} r_{1}\left(\mathbf{p}_{i}^{n-1}-\mathbf{x}_{i}^{n-1}\right)+c_{2} r_{2}\left(\mathbf{p}_{g}^{n-1}-\mathbf{x}_{i}^{n-1}\right) \\
\mathbf{x}_{i}^{n}=\mathbf{x}_{i}^{n-1}+\mathbf{v}_{i}^{n} & i=1,2, \ldots, N
\end{array}
$$

$w, c_{1}$ and $c_{2}$ are PSO-specific parameters; $r_{1}$ and $r_{2}$ are random numbers in $[0,1]$

## PSO for VC

```
initialize n random cameras in array CAMERAS
i=0;
while (there is still time left) {
    move CAMERAS[i];
    evaluate F(CAMERAS[i]);
    compute new local and global optima;
    i = (i+1) mod n;
}
optimum = CAMERAS[g];
```


## DEMO

## Improving PSO

- unlucky random initialisation coupled with little available time (e.g. few milliseconds) and/or large search space can make PSO fail
- current methods to tackle this issue are:
- "smart" initialisation
- lazy F evaluation
- PSO parameters tuning


## Smart Initialisation

- size and angle requirements are very common in VC problems
- it is quite easy to initialise a camera such that it roughly satisfies a size or angle requirement (or both)
- e.g., for size, we can compute a roughly optimal distance to a target by the formula

$$
\text { distance }=\frac{\text { target size }}{\text { target's projection size }} \cdot \frac{1}{\tan (\gamma / 2)}
$$

where target size and projection size are easily computed by using a bounding sphere, assumed centered on the screen

- if a problem has $k$ targets, we can distribute cameras among them, and initialise each camera around optimal values for the assigned target


## Lazy F evaluation

- the evaluation of $F$ can be terminated as soon as we know that we cannot improve on the camera local best value (lazy evaluation)
- the computed value would have no effect on camera movement
- we can then order the requirements by cost of evaluation (angle, size, visibility) so that we avoid computing unnecessary (and costly) requirements
- other strategies are possible, e.g. combine lazy evaluation with computing first the projection of bounding box of all targets, and then set the satisfaction of any requirement for the same target, if the projection is off-screen, to zero


## PSO parameters tuning

- the values of $n$ (the number of cameras in the swarm), $c_{1}, c_{2}$, and $w$ can greatly influence the behaviour of PSO
- given a set of scenes and VC problems, and a set of possible PSO parameter values, one can run all possible combinations, and then use statistical methods to derive optimal PSO parameter values
- in our experience, derived parameters are quite good for all similar settings


## PSO parameters tuning



| Scene | Triangles | Objects | Scene AABB |
| :--- | ---: | ---: | :--- |
| city | 474083 | 324 | $300 \times 100 \times 300$ (vol: $9 \times 10^{6}$ ) |
| house | 324182 | 50 | $120 \times 23 \times 100$ (vol: $276 \times 10^{3}$ ) |
| rooms | 110474 | 240 | $13.9 \times 3.0 \times 21.8$ (vol: 909.06 ) |

5 problems per scene

| Name | Meaning | Values |
| :--- | :--- | :--- |
| $N$ | number of particles in PSO | $[20,30,40,60,80,100,130,160,200,240,290,340,380]$ |
| $r_{\text {_part }}$ | fraction of randomly initialized particles | $[0.0,0.33,0.66,1.0]$ |
| $c_{1}$ | PSO cognitive parameter | $[0.0,0.5,1.0,1.5,2.0,2.5]$ |
| $c_{2}$ | PSO social parameter | $[0.5,1.0,1.5,2.0,2.5]$ |
| $\omega_{\text {init }}$ | PSO initial inertia weight | $[0.5,1.0,1.5,2.0]$ |
| $\omega_{\text {end }}$ | PSO final inertia weight | $[0.0,0.5,1.0]$ |

18720 combinations

20 runs per scene, problem, combination $=5^{\prime} 148^{\prime} 000$ runs considering 6 time budgets for PSO: 5, 10, 20, 40, 100, 200 milliseconds

## PSO parameters tuning

| T (ms) | How <br> many | Best <br> $\left(N, r_{\text {_ part }, ~}, c_{1}, c_{2}, \omega_{\text {init }}, \omega_{\text {end }}\right)$ | Restriction on parameters values | Median evaluations <br> full |
| :--- | :--- | :--- | :--- | :--- |
| 5 | 102 | $20,0,2,1.5,1.5,0$ | $N \leq 30, r_{\text {part }}=0, c_{2} \geq 1, \omega_{\text {end }} \leq 0.5$ | 60 |
| 10 | 167 | $30,0,2.5,1.5,0.5,0$ | $N \leq 40, r_{\text {part }} \leq 0.33, c_{2} \geq 1, \omega_{\text {end }} \leq 0.5$ | 13 |
| 20 | 117 | $30,0,2,2,0.5,0$ | $N \leq 60, r_{\text {part }} \leq 0.33, c_{2} \geq 1, \omega_{\text {init }} \leq 1.5, \omega_{\text {end }} \leq 0.5$ | 176 |
| 40 | 144 | $30,0,1.5,2,0.5,0.5$ | $N \leq 60, r_{\text {part }} \leq 0.66, c_{2} \geq 1, \omega_{\text {init }} \leq 1, \omega_{\text {end }} \leq 0.5$ | 373 |
| 100 | 173 | $130,0,2,2,0.5,0$ | $r_{\text {part }} \leq 0.66, \omega_{\text {init }} \leq 1, \omega_{\text {end }} \leq 0.5$ | 707 |
| 200 | 218 | $200,0,1.5,2.5,0.5,0.5$ | $c_{2} \geq 1, \omega_{\text {init }} \leq 1, \omega_{\text {end }} \leq 0.5$ | 135 |



## Conclusions

- VC cost is comparable to frame rendering; however, it can be spread among a few successive frames
- all techniques presented in this part, and more, are implemented in the C\# Unity Library available at https://github.com/robertoranon/Unity-ViewpointComputation
- quite easy to port to other engines (UE4 port is under way)
- easily implement your own properties, evaluation methods, solver


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